

$$5c \quad g(x) = x^2 + 3 \quad h(x) = x - 4$$

$$5d) \quad (g \circ h)(x) = g(h(x))$$

$$= g(x-4) = (x-4)^2 + 3$$

$$b) \quad (h \circ g)(x) = h(g(x)) \quad = (x-4)(x-4) + 3$$
$$h(x^2 + 3) = (x^2 + 3) - 4 \quad = x^2 - 8x + 16 + 3$$
$$= x^2 - 1 \quad = x^2 - 8x + 19$$

Solve

$$(g \circ h)(x) = (h \circ g)(x)$$

$$x^2 - 8x + 19 = x^2 - 1$$

$$-8x + 19 = -1$$

$$-8x = -20$$

$$x = \frac{20}{8} \text{ or } \frac{5}{2}$$

spacebunny 173
opposite x and y
maybe switching x and y
a function that's reversed
use y for x
best
its a mirrored version
inversely functional
probably math
switch x with y
opposites of parent
i dont even know
the x and the y switch
inverse notation
twitter
plugging in x and y
reciprocal

x and y switch
 boy
bad notation
follow
reflected
switching
negative
different
x to the negative power
zero
flipped
my
is
something about functions
notion is different
opposites
axis
death of me
tbh i cant even remember
inverse that functions
negativr
reciprocal

reflection over y equals x
in terms of x

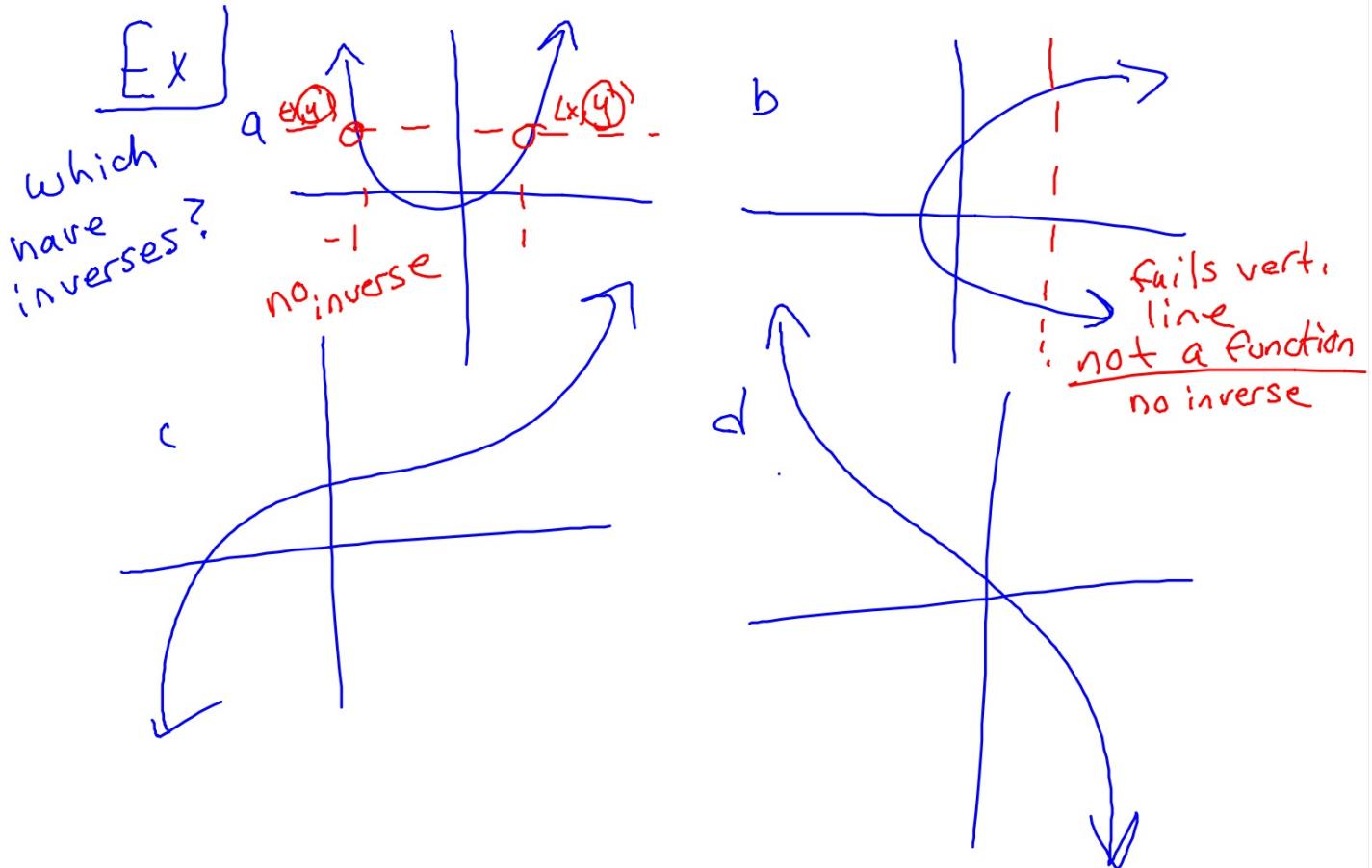
opposite

1.5 Inverse Functions

defn The inverse of a function $f(x)$

is $f^{-1}(x)$. It reverses the action
of $f(x)$

- * In order to have an inverse,
a relation must 1st be a
function ($1x$ maps to $1y$) and
vertical line test
one-to-one (every y has $1x$)
horizontal line test



Function $f(x)$ and $g(x)$ are inverses of one another if:

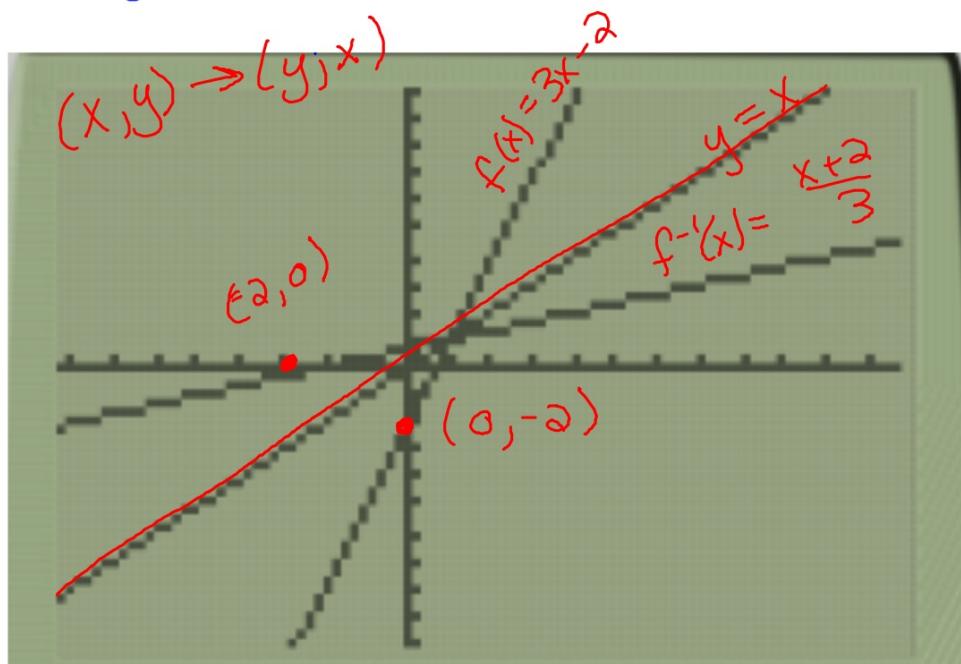
$(f \circ g)(x) = x$ for all x in the domain
and $(g \circ f)(x) = x$ for all x in the domain

Finding Inverses Algebraically

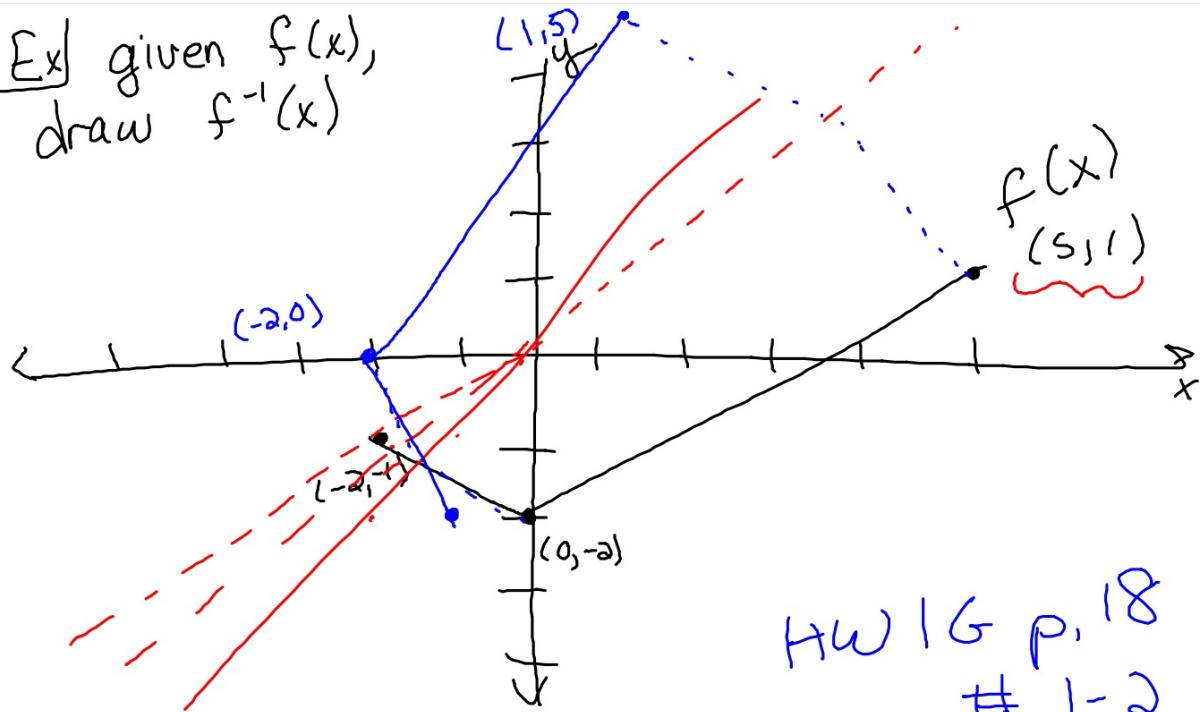
action for f $f(x) = 3x - 2$

$$f'(x) = \frac{x+2}{3}$$
$$\begin{array}{ccccccc} x & \longrightarrow & \cdot 3 & \longrightarrow & -2 & \longrightarrow & 3x-2 \\ & \longleftarrow & \div 3 & \longleftarrow & +2 & \longleftarrow & \cancel{3x-2} \end{array}$$
$$(f \circ f')(x) = \underline{\quad}$$
$$f(f^{-1}(x)) = 3\left(\frac{x+2}{3}\right) - 2$$
$$(f^{-1} \circ f)(x) = \frac{(3x-2)+2}{3} = \frac{3x}{3} = x$$
$$= x+2-2=x$$

The graphs of $f(x)$ and $f^{-1}(x)$
will be reflected over the line $y=x$



Ex] given $f(x)$,
draw $f^{-1}(x)$



HW 1G p. 18
1-2

Pretend this
can have an
inverse